

Homework due on THURSDAY, MARCH 24th, START OF CLASS. Note: we won't cover 3.10 or the ideas about the Jacobian from 3.9.

1. DeGroot (3rd or 4th ed.), section 3.9: # 2, 4, 5, 7, 8
2. CAN YOU FORM A TRIANGLE? Let A , B , and C be independent random variables uniform on $[0, 1]$. What is the probability that three sticks of length A , B , and C can form a triangle?
 - (a) In R, simulate the above situation. According to your simulation, how often does there exist a triangle? [As always, if you want help with R, tell me exactly what you want to do, and I'll tell you how to do it in R.] You may want to use the `pmax` function which takes the maximum value element-wise in an array.

```
> vector1 <- c(1, 7, 8, 1, 2)
> vector2 <- c(1, 4, 1, 2, 3)
> max(vector1, vector2)
> [1] 8
> pmax(vector1, vector2)
> [1] 1 7 8 2 3
```
 - (b) Analytically: find the probability that three random $U[0,1]$ sticks will form a triangle. [Hint: the easiest way I found to do this was to start by assuming one of the values (say C) was the biggest one. Then to generalize I realized that any of the values could have been the biggest one. It is much harder to approach this problem using the theory of order statistics.]